(1) Thermal expansion coefficient $d = \frac{1}{V} \left(\frac{\partial V}{\partial T}\right)_{p} = \frac{1}{V} \frac{\left(\frac{\partial V}{\partial S}\right)_{p}}{\left(\frac{\partial T}{\partial S}\right)_{p}} = \frac{T}{V C_{p}} \left(\frac{\partial V}{\partial S}\right)_{p}$ - The signs of $\left(\frac{2S}{2V}\right)_{P}$ and a coincide (2) mc ln $\frac{T_2}{T_1}$ 3 similarly to (1) $(4) \Delta S = \frac{4}{3} = (V_2 - V_1)$ $W = \frac{4}{3} \alpha T_1^3 (T_1 - T_2) (V_2 - V_1)$ Hint: take into account that the internal energy of the radiation depends on its volume a) dE = TdS + fdl(5) -f plays the role of pressure lis the generalised volume

 $\left(\frac{\partial E}{\partial \ell}\right)_{T} = T\left(\frac{\partial S}{\partial \ell}\right)_{T} + f = -f + f = 0$ Monmell - (2f) relation (2T) => The internal energy is length-independent b) $\left(\frac{\Im S}{\partial \ell}\right)_{\mathrm{T}} = -\left(\frac{\Im f}{\Im \mathrm{T}}\right)_{\ell} < 0$